





# Group-Centric Models for Secure and Agile Information Sharing

Ravi Sandhu
Executive Director and Endowed Professor
September 2010

ravi.sandhu@utsa.edu, www.profsandhu.com, www.ics.utsa.edu

Joint work with ICS colleagues
Ram Krishnan, Jianwei Niu and Will Winsborough



# Goal: 4th Element



- > 3 succesful access control models in 40+ years
  - Discretionary Access Control (DAC)
  - Mandatory Access Control (MAC)
     also called Lattice-Based Access Control (LBAC)
  - Role-base Access Control (RBAC)
- Numerous others defined and studied, implemented but no success
- Will Group Centric Models be the 4<sup>th</sup> element?
  - Strong mathematical foundations
  - Strong intuitive foundations
  - Significant real-world deployment



## **Secure Information Sharing (SIS)**



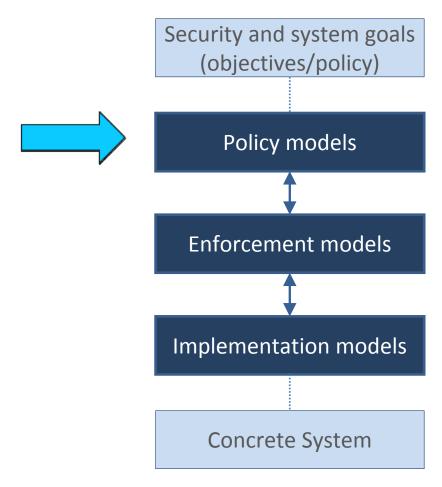
## **Goal: Share but protect**

- Containment challenge
  - Client containment
    - High assurance infeasible (e.g., cannot close the analog hole)
    - Low to medium assurance achievable
  - Server containment
    - Will typically have higher assurance than client containment
- > Policy challenge
  - How to construct meaningful, usable SIS policy
  - How to develop an intertwined information and security model



#### **PEI Models**





Necessarily informal

Specified using users, subjects, objects, admins, labels, roles, groups, etc. in an ideal setting.
Security analysis (objectives, properties, etc.).

Approximated policy realized using system architecture with trusted servers, protocols, etc.

Enforcement level security analysis (e.g. stale information due to network latency, protocol proofs, etc.).

Technologies such as Cloud Computing, Trusted Computing, etc.

Implementation level security analysis (e.g. vulnerability analysis, penetration testing, etc.)

Software and Hardware



#### **Secure Information Sharing Modes**



#### Fundamental Goal: Share BUT Protect

#### I. Dissemination-Centric Sharing

- Digital Rights Management
- Enterprise Rights Management
- > XrML
- Workflow-centric sharing

#### II. Query-Centric Sharing

- Queries wrt a protected dataset
- Privacy/confidentiality protection
- More generally de-aggregation/inference protection

#### **III.Group-Centric Sharing**

- Sharing for a purpose
- Mission-centric sharing
- Purpose-centric sharing



## **Community Cyber Security**

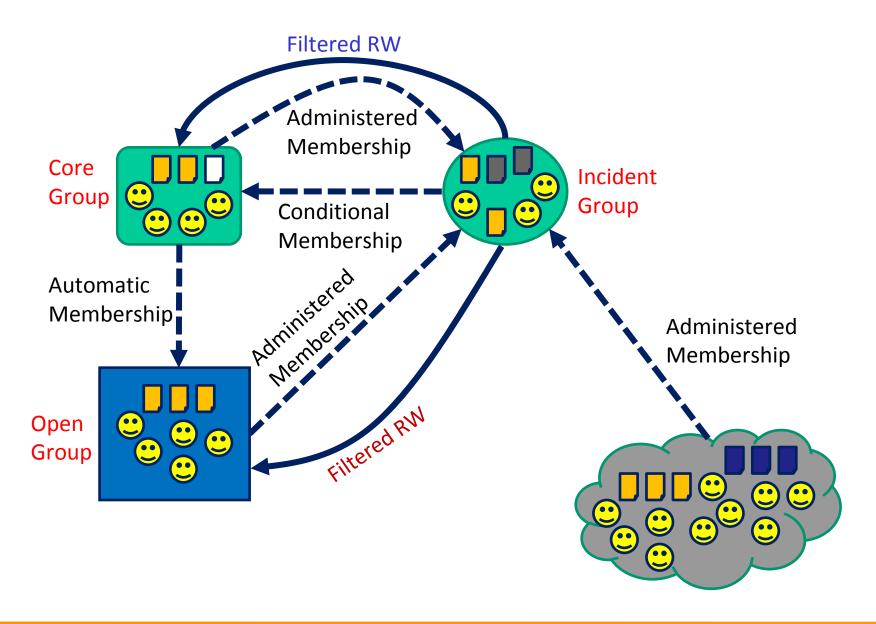


- > A community is a county or larger city size unit
  - Clearly demarcated geographical boundary
  - More or less aligned with governance boundary
- The ICS Center for Infrastructure Assurance and Security has a decade long experience conducting cyber security exercises and training for communities all across USA
  - Community cyber security incident life cycle



#### **Community Cyber Security**

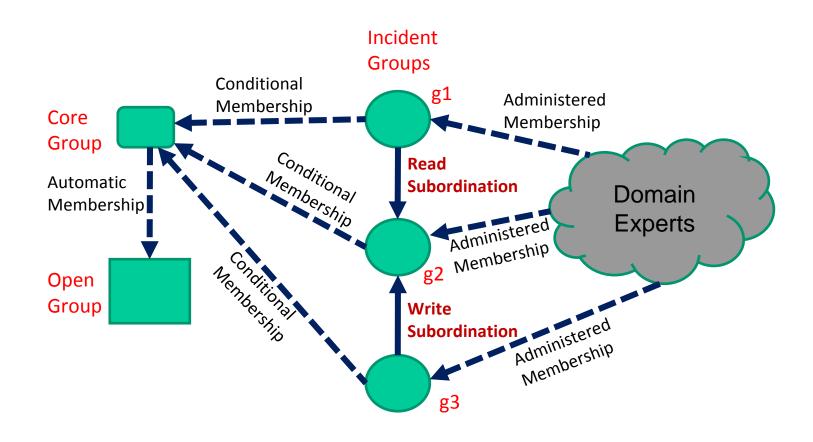






## **Community Cyber Security**

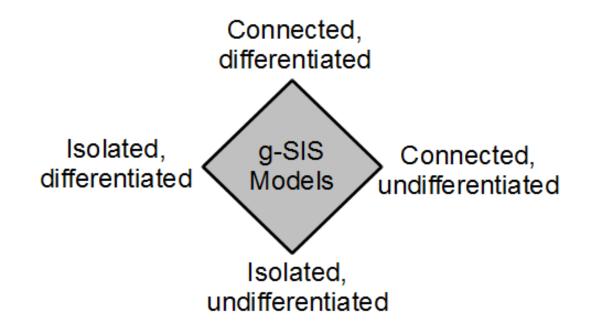






## A Family of g-SIS Models







#### **Model Development**



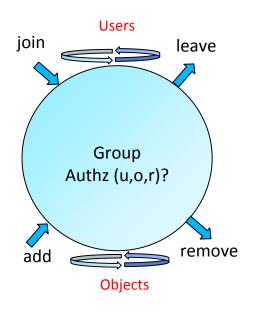
- > Formal stateless behavioral model with
  - Provable security properties
- > Formal stateful enforceable model with
  - Proof of correspondence between stateless and stateful models



## g-SIS Model Components



- Operational aspects
  - Group operation semantics
    - Add, Join, Leave, Remove, etc
    - Multicast group is one example
  - Object model
    - Read-only
    - Read-Write (no versioning vs versioning)
  - User-subject model
    - Read-only Vs read-write
  - Policy specification
- Administrative aspects
  - Authorization to create group, user join/leave, object add/remove, etc.





#### **Core Properties**



#### Authorization Persistence

Authorization cannot change unless some group event occurs

```
\kappa_0 = \forall u : U. \forall o : O. \forall v : V. \forall q : G.
          \Box(\operatorname{Authz}(u, o, v, g, \mathbf{r}) \to (\operatorname{Authz}(u, o, v, g, \mathbf{r}) \mathcal{W}(\operatorname{Join}(u, g) \vee \operatorname{Leave}(u, g) \vee
          Add(o, v, g) \vee Remove(o, v, g)))
\kappa_1 = \forall u : U. \forall o : O. \forall v : V. \forall g : G.
          \Box(\operatorname{Authz}(u, o, v, g, \mathbf{w}) \to (\operatorname{Authz}(u, o, v, g, \mathbf{w}) \mathcal{W} \operatorname{Leave}(u, g)))
\kappa_2 = \forall u : U. \forall o : O. \forall v_1 : V. \forall g : G. \exists s : S. \exists v_2 : V.
          \Box(\neg \operatorname{Authz}(u, o, v_1, q, \mathbf{r}) \to (\neg \operatorname{Authz}(u, o, v_1, q, \mathbf{r}) \, \mathcal{W} \, (\operatorname{Join}(u, q) \vee
         Leave(u, g) \vee Add(o, v_1, g) \vee Remove(o, v_1, g) \vee
         CreateO(o, v_1, g) \vee \text{update}(s, o, v_2, v_1, g))))
\kappa_3 = \forall u : U. \forall o : O. \forall v_1 : V. \forall g : G. \exists s : S. \exists v_2 : V.
          \Box(\neg \operatorname{Authz}(u, o, v_1, g, \mathbf{w}) \rightarrow (\neg \operatorname{Authz}(u, o, v_1, g, \mathbf{w}) \mathcal{W}(\operatorname{Join}(u, g) \vee
          CreateO(o, v_1, g) \vee \text{update}(s, o, v_2, v_1, g))))
```

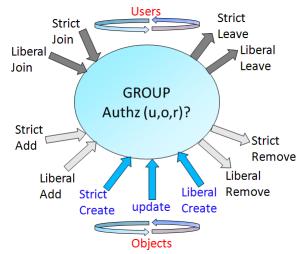


#### The π-system Specification



#### Table 1: The $\pi$ -system.

```
\chi_0 = \forall u : U. \forall o : O. \forall v : V. \forall g : G.
                              \lambda'_{\alpha}(u, o, v, g) \vee \ldots \vee \lambda'_{A}(u, s, o, v_1, v, g)))
\chi_1 = \forall u : U. \forall o : O. \forall v : V. \forall q : G.
                              \Box(\operatorname{Authz}(u,o,v,g,\mathbf{w})\leftrightarrow\operatorname{Authz}(u,o,v,g,\mathbf{r})\wedge(\neg\operatorname{Leave}(u,g)\mathcal{S}\operatorname{Join}(u,g))\wedge
                               (\exists v_1 : V.\exists s : S. \phi update(s, o, v_1, v, g) \lor \phi(LC(o, v, g) \lor SC(o, v, g))))
\chi_2 = \forall u : U. \forall s : S. \forall q : G.
                              \Box(\operatorname{createS}(u, s, g) \to \blacklozenge \operatorname{Join}(u, g))
\chi_3 = \forall s : S. \forall o : O. \forall v : V. \forall g : G.
                              \Box(\text{AuthzS}(s, o, v, q, \mathbf{r}) \leftrightarrow \exists u : \text{U.}(\text{Authz}(u, o, v, q, \mathbf{r}) \land a)
                              (\neg \text{kill}(u, s, g) \mathcal{S} \text{createS}(u, s, g)))
\chi_4 = \forall s : S. \forall o : O. \forall v : V. \forall g : G.
                              \Box(\text{AuthzS}(s, o, v, q, \mathbf{w}) \leftrightarrow \exists u : \text{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \text{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, \mathbf{w}) \land \exists u : \textbf{U.}(\text{Authz}(u, o, v, q, u, u, u, u,
                              (\neg \text{kill}(u, s, g) \mathcal{S} \text{createS}(u, s, g)))
\chi_5 = \forall s : S. \forall o : O. \forall v_1, v_2 : V. \forall g : G.
                              \Box(\operatorname{read}(s, o, v_1, g) \to \operatorname{AuthzS}(s, o, v_1, g, \mathbf{r})) \land
                              \Box(\operatorname{update}(s, o, v_1, v_2, g) \to \operatorname{AuthzS}(s, o, v_1, g, \mathbf{w}))
\chi_6 = \forall u_1, u_2 : U. \forall s_1, s_2 : S. \forall o : O. \forall v_1, v_2, v_3 : V. \forall g_1, g_2 : G.
                               \tau_0(u_1, s_1, s_2, o, v_1, v_2, v_3, g_1) \wedge \ldots \wedge \tau_3(u_1, s_1, o, v_1, g_1)
```



$$\pi = \chi_0 \wedge \chi_1 \wedge \chi_2 \wedge \chi_3 \wedge \chi_4 \wedge \chi_5 \wedge \chi_6$$



#### **Model Development**

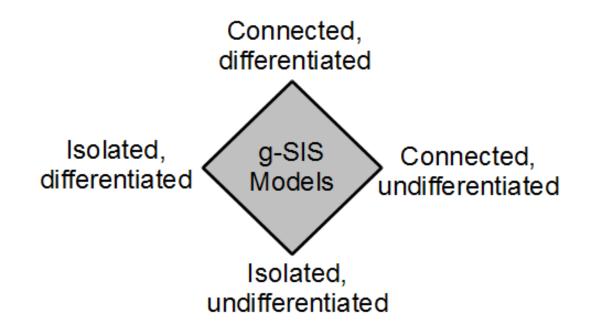


- > Formal stateless behavioral model with
  - Provable security properties
- > Formal stateful enforceable model with
  - Proof of correspondence between stateless and stateful models



## A Family of g-SIS Models



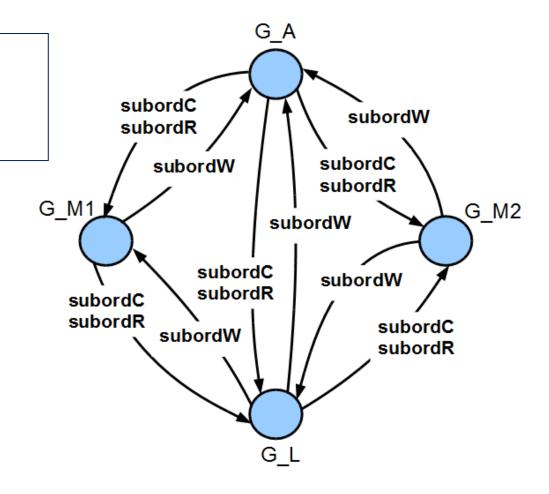


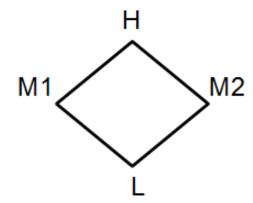


#### g-SIS and LBAC



- 1. Read Subordination
- 2. Write Subordination
- Subject CreateSubordination





A sample lattice for one directional information flow

Equivalent g-SIS configuration of Org A lattice

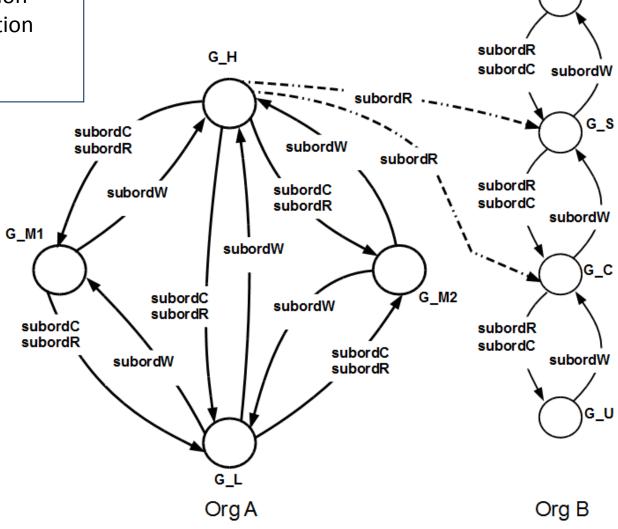


#### **Agile Collaboration**



G\_TS

- Read Subordination
- 2. Write Subordination
- Subject CreateSubordination

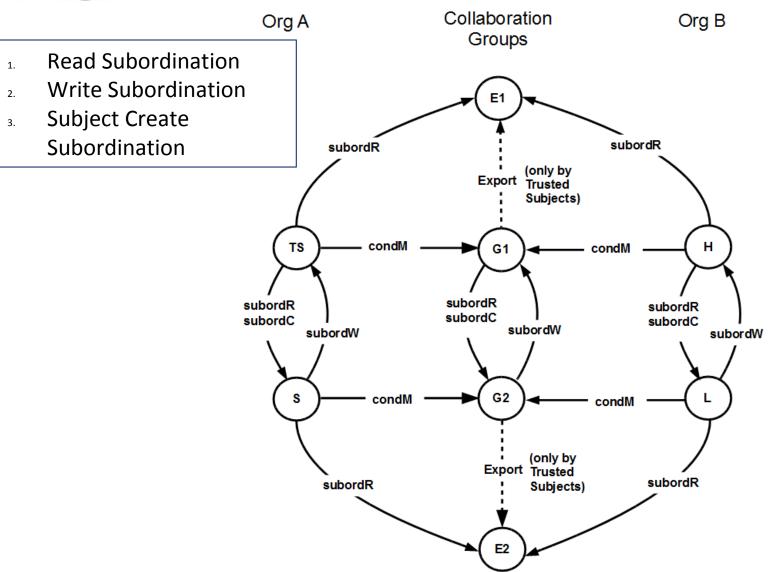


Agile collaboration in LBAC enabled by g-SIS



#### **Agile Collaboration**



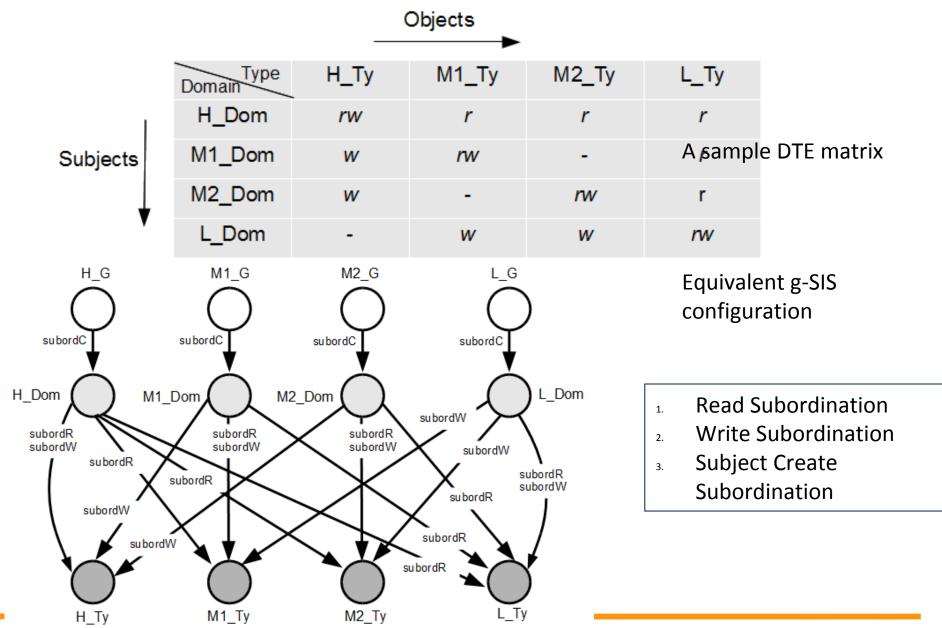


Collaboration groups established between two different lattices



#### **Domain and Type Enforcement and g-SIS**

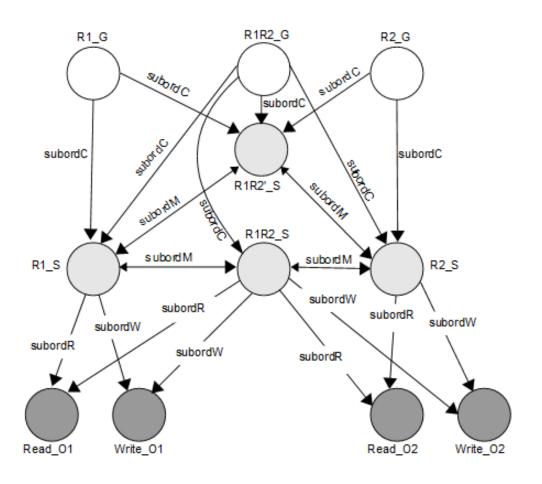






#### **RBAC0** and g-SIS





- Read Subordination
- 2. Write Subordination
- Subject Create Subordination
- Subject MoveSubordination

RBAC<sub>0</sub> with RW permissions in g-SIS



# Goal: 4th Element



- > 3 successful access control models in 40+ years
  - Discretionary Access Control (DAC)
  - Mandatory Access Control (MAC)
     also called Lattice-Based Access Control (LBAC)
  - Role-base Access Control (RBAC)
- Numerous others defined and studied, implemented but no success
- Will Group Centric Models be the 4<sup>th</sup> element?
  - Strong mathematical foundations
  - Strong intuitive foundations
  - Significant real-world deployment